

ADVANCES IN PDE AND HARMONIC ANALYSIS
A CONFERENCE IN HONOUR OF JORGE HOUNIE

Program and book of abstracts

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January 9 – 11, 2023
São Carlos, SP, Brazil

Advances in PDE and Harmonic Analysis

*A conference in honour of Jorge Hounie
on the occasion of his 75th birthday*

January 09 - 11, 2023

$$x + i\varphi(x, +)$$

Scientific Committee

Shiferaw Berhanu
Paulo Cordaro
Paulo Dattori da Silva
Gustavo Hoepfner
Tiago Picon

Organizing Committee

Gabriel Araújo
Camilo Campana
Renata Oliveira Figueira
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Gerardo Mendoza

TITLE: LORENTZ METRICS WITH SINGULARITIES

Abstract: I'll discuss a class of Lorentz metrics on manifolds with boundary that are singular on the boundary. The light cone of these metrics collapses to a line bundle over the boundary, while making the latter be space-like with total volume 0. I'll present necessary conditions for the existence of such metrics on a compact manifold, and describe some interesting properties of the bicharacteristic flow of their D'Alembertian. For these I'll pose a Cauchy problem and, time permitting, describe the Fourier Integral Operator associated as solution operator near the boundary. This is joint work with Zachary Hanson-Hart.

Mario Milman

TITLE: YUDOVICH AND VISHIK THEORIES REVISITED: EXTRAPOLATION METHODS

Abstract: We revisit the classical methods developed by Yudovich and Vishik to establish uniqueness of solutions for the 2D Euler equations for an inviscid incompressible fluid on \mathbb{T} or \mathbb{R}^2 . We show that extrapolation theory provides a framework that unifies both approaches and allows for meaningful extensions out of the reach of the classical results.

Joint work with Oscar Dominguez (Universidad Complutense de Madrid).

Tiago Picon

TITLE: L^∞ SOLVABILITY OF ELLIPTIC AND CANCELING HOMOGENEOUS LINEAR EQUATIONS ON MEASURES

Abstract: In this talk, we present new results on L^∞ solvability of the equation $A^*(D)f = \mu$, where $A(D)$ is an elliptic and canceling homogeneous differential operator and μ is a nonnegative measure. Our method is based on type L^1 estimates on measures for a special class of vector fields.

This is joint work with Victor Biliatto (UFSCar).

Evandro Raimundo da Silva

TITLE: LOCAL SOLVABILITY FOR A CLASS OF LINEAR OPERATORS IN BESOV AND TRIEBEL-LIZORKIN SPACES

Abstract: We show local solvability in Besov and Triebel-Lizorkin spaces for a class of first order linear operators L defined on an open set of \mathbb{R}^{n+1} , $n \in \mathbb{N}$, satisfying the condition (P) of Nirenberg-Treves and whose coefficients are Hölder continuous.