Numerical Simulation of a Synthetic Jet with OpenFOAM

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Abstract Numerical simulations of flow surrounding a synthetic jet actuating device are presented. By modifying a dynamic mesh technique available in OpenFOAM, a well-documented open-source solver for fluid dynamics, detailed computations of the sinusoidal motion of the synthetic jet diaphragm were possible. Numerical solutions were obtained by solving the two dimensional incompressible viscous N–S equations, with the use of a second order implicit time marching scheme and a central finite volume method for spatial discretization in both streamwise and crossflow directions. A systematic parameter study is reported here, in which the external Reynolds number, the diaphragm amplitude and frequency, and the slot dimensions are varied.

1 Introduction

Synthetic jets are commonly generated by the time-periodic ejection and suction of fluid across an orifice, resulting in zero-net mass flux [4]. Since the experimental work of Ingård and Labate [6] in the '50s, the study of synthetic jets has become one of the most attractive subjects of research in fluid mechanics. The primary reason behind is that the synthetic jet can be utilized as a flow control method, with several

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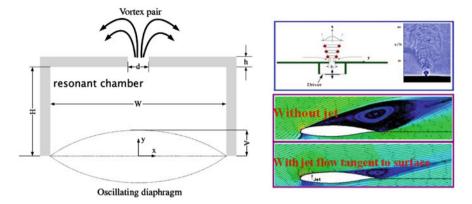


Fig. 1 (*Left*) Schematic diagram of a synthetic jet actuator [3]. (*Right*) Application of a jet actuator on an airfoil, with evident decrease of the downstream separated region [5]

engineering applications [2, 4]. Originally demonstrated in the laboratory by Wiltse and Glezer [11], synthetic jets can further work as micro-fluidic devices with a potential implementation to thrust vectoring of jet engines.

A series of studies have been devoted to the control of synthetic jets in the past years. Mittal et al. [9] studied the performance of a synthetic jet actuator, based on a number of geometrical, structural and flow parameters. Amitay et al. [1] demonstrated the usage of synthetic jets in delaying separation. Further works on synthetic jets included two-dimensional simultions in quiescent flow conditions by Kral et al. [7] and Lee and Goldstein [8].

The basic features of a synthetic jet actuator are illustrated schematically in Fig. 1. Trains of vortices induced by the harmonic motion of a diaphragm located opposite to the slot, interact to produce the jet. The diaphragm amplitude and frequency, and the slot dimensions may change the characteristics of the jet's evolution.

In the current study, we modified a dynamic mesh technique available in Open-FOAM. The paper is organized as follows: Sect. 2 presents the numerical framework, Sect. 3 discusses the computational results, and Sect. 4 summarizes the results of this study.

2 Methods

2.1 Actuator Geometry and Computational Mesh

The two-dimensional synthetic jet actuator considered in this study was comprised of a rectangular cavity, the upper wall of which included a thin slot of width d and width-to-height ratio (d/h) of 1; the lower wall opposite to the slot formed an oscillating diaphragm (cf. Fig. 2). The cavity was 20d in width and 4d in height, connected via

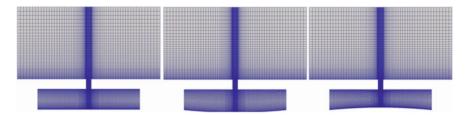


Fig. 2 Dynamic mesh displacement during the harmonic motion of the diaphragm in the synthetic jet actuator

the slot to a rectangular space that was d in width and 2d in height, above the cavity. This geometry was used as a reference geometry upon which several geometrical and flow parameters were tested (see Sect. 2.3).

A mesh of 107×54 quadrilateral elements was used for the overall computational domain, of which 30×25 elements were used inside the slot and 118×58 elements inside the rectangular cavity. A very fine boundary layer mesh was constructed near the walls to adequately capture the viscous flow effects.

2.2 Governing Equations and Numerical Tools

The 2-D incompressible viscous Navier–Stokes equations are written in conservation form as follows, assuming unit fluid density:

$$\nabla \cdot \mathbf{u} = 0 \tag{1}$$

$$\frac{\partial \mathbf{u}}{\partial t} + (\mathbf{u} \cdot \nabla)\mathbf{u} = -\nabla P + \nu \nabla^2 \mathbf{u}$$
 (2)

where **u** is the velocity vector, P is the pressure and ν is the kinematic viscosity of the Newtonian fluid.

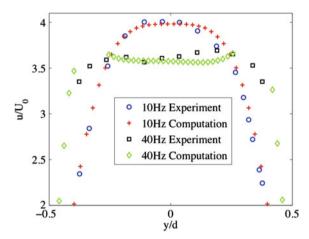
Numerical simulations were carried out with OpenFOAM. Solution of the governing equations was achieved with a second order implicit time marching scheme and a central finite volume method for spatial discretization. The mesh motion was controlled by changing the frequency and the amplitude of the diaphragm's forced oscillation. Figure 2 shows an example of the dynamic mesh displacement during the periodic movement of the diaphragm.

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	a	b	c	d	e	f
Re_d	0	0	0	0	71.426	250
d/h	1	1	0.5	1	1	1
f	0.05	0.05	0.05	0.1	0.05	0.05
A	0.1	0.2	0.2	0.2	0.2	0.1
Stokes number	3.32	3.32	3.32	4.7	3.32	3.32

 $\textbf{Table 1} \quad \text{The values of frequency, amplitude and slot width-to-height ratio chosen for the presented parametric study}$

Fig. 3 Profile of velocity necessary for jet formation at t/T = 0.25 for d = 0.0051 m



2.3 Boundary Conditions and Fluid Parameters

The diaphragm is modeled as a plate oscillating in its fundamental mode, according to the following motion profile:

$$0.5 * (\cos(2\pi t f) - 1). \tag{3}$$

The diaphragm has its maximum deflection at the center of the cavity and zero deflection at the two ends. Focusing on the parameters that are expected to have a strong influence on the characteristics of the synthetic jet, in the current study, we chose to systematically study the diaphragm amplitude A/H, the frequency f, the width-to-height ratio of the slot (d/h), and the external flow Reynolds number Re_d , based on the slot width. The selected parameters are shown in Table 1.

Assuming no external flow, the pressure gradient is zero. The Neumann and Dirichelet boundary conditions were used. For the cases where external flow is considered, the direction of flow is from left to right, according to Fig. 2.

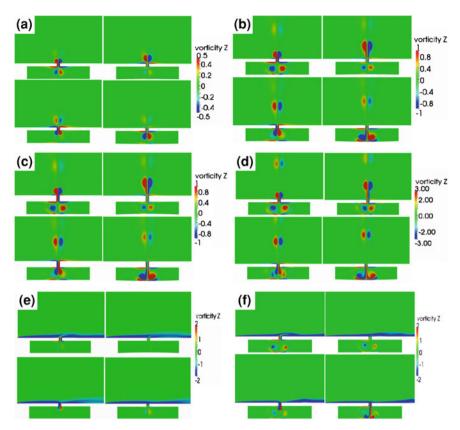


Fig. 4 Instantaneous contours of vorticity at four different stages of the diaphragm oscillation, in the absence (cases \mathbf{a} to \mathbf{d}) and in the presence (cases \mathbf{e} and \mathbf{f}) of external flow. The parameters used for the simulations are presented in Table 1

3 Results

Velocity profiles at the peak of the blowing stroke (t/T=0.25) are shown in Fig. 3, which are good agreement with the experiment data [10]. Figure 4 shows sequences of instantaneous contour plots of spanwise vorticity, at maximum expulsion, minimum volume, maximum ingestion and maximum volume. The first four cases (a to d) are simulated with no external flow, i.e. $Re_d=0$, whereas the last two cases (e to f) assume the presence of external flow. The parameters used for all numerical simulations are those shown in Table 1.

In case a, the diaphragm amplitude is small, and therefore vortices generated near the slot during each stage of the cycle, remain in the region without escaping the cavity. Doubling the amplitude of the diaphragm oscillation (case b) resulted in vortices that escape the cavity, during the maximum expulsion stage, and travel inside the external space. These vortices do not interact further with the synthetic jet.

Increasing the height of the slot at twice the previous value, while maintaining the same oscillation amplitude (case c), had no significant influence on the evolution of the synthetic jet. Increase of the diaphragm frequency to the double value of that in case b, while maintaining the same amplitude and slot width-to-height ratio (case d), had only a small influence on the evolution of the vortices, as compared to case b, with slightly greater separation. In the final two cases e and f, the presence of external flow drastically alters the evolution of the synthetic jet, which through interaction with the external flow, reshapes and becomes highly asymmetric within the cavity.

4 Conclusion

A synthetic jet actuator has been parametrically studied here, by utilizing a modified dynamic mesh technique. The diaphragm is modeled to undergo harmonic oscillations. The evolution of the synthetic jet in the absence of external flow, showed that the amplitude and frequency have a stronger influence on the characteristics of the jet, than the slot height. In the presence of external flow, the synthetic jet is greatly varied. By using appropriate parameters, the jet can control the flow development downstream of the slot.

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